Academic Lesson Plan for Engg. Mathematics-II (SUMMER-2024)

| Discipline:Civil, Elect,A.A., ETC,Mech.,I.T. | Semester: 2nd | Name of the teaching faculty:Smt Smitarani Barik Miss Sushree Swadhinpriya Mohapatra Sri Niranjan Behera Sri Shibasish Mishra |
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| Subject: Engg. Mathematics | No. of days/per week | Semester from: 29/01/2024-14/05/2024 |
| | Class Allotted:6 | No. of weeks:16 |
| Week | Class day | Theory Topics |
| 1st | 1st | Ch.1(a)Introduction of vector. Ch1(b).Types of vectors null vector, parallel vector |
| | 2nd | Problems baesd on null vector, parallel vector |
| | 3rd | Problems baesd on parallel vectors ,collinear vectors. |
| | 4th | Ch.1(c).Representation of vector, |
| | 5th | ch.1(d). Magnitude and direction of vectors. |
| | 6th | Problems based on Magnitude and direction of vectors |
| 2nd | 1st | Ch.1(e).Addition and subtraction of vector |
| | 2nd | problems based on Addition and subtraction of vectors. |
| | 3rd | Ch.1(f).Position vector |
| | 4th | Ch.1(g).Explanation of Scalar. product of two vectors with examples . |
| | 5th | Ch.1(h).Geometrical meaning of dot product. Ch.1(i).Angle between two vectors |
| | 6th | Ch.1(j).Scalar and vector projection of two vectors. Explanation of Vector product with examples . |
| 3rd | 1st | Ch.1(k).geometrical meaning of vector product |
| | 2nd | Area of triangle with examples . |
| | 3rd | Area of parallelogram using with examples. |
| | 4th | Doubt clear, previous year question discussion. |
| | 5th | Class test based on vector. |
| 4th | 1st | Ch.2(a).Definition of function(based on set theory), |
| | 2nd | ch.2(b).Types of functions i) Constant function |
| | 3rd | ii) Identity function iii) Absolute value function |

| | 4th | ch.2(b).Types of functions |
|-----------------|-----------------|---|
| | 5th | greatest integer function, trigonometric function, |
| | 6th | Quiz |
| 5th | 1st | Doubt clear on limit |
| | 2 nd | exponential function logarithmic function |
| | 3 rd | ch.2(d).Existence of limit (explanation with solving examples). |
| | 4 th | Existence of limit (explanation with solving examples). |
| | 5th | ch.2(e).Methods of evaluation of limit. xn-anx-a =nan-1 |
| | 6th | ax-1x =a ex-1x =1 |
| | | sinx =1 |
| | | tanxx = 1log for (1+x)x = 1 1+1nn =e (1+x)x =e |
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| 6th | 1st | Doubt clear, previous uear question discussion |
| | 2nd | Class test based on limit and continuity. |
| | 3rd | Ch.3(a). Introduction of Differentiation. |
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| | 4th | Derivative of a function at a point |
| 7 th | 1st | Discussion on above. Solve more examples |
| | 2nd | Ch.3(b).algebra of derivative. |
| | 3rd | Ch.3(c). Derivative of standard functions x_n,a_*,e_*,log |
| | 4th | Derivative of standard functions sin x, cos x tan x, cot x, sec x, cosec x. |
| | 5th | Ch.3(a). Introduction of Differentiation. |

| | 6th | Derivative of standard functions sin-1x,cos-1 x,tan-1x,cot-1x sec- 1x,cosec-1x. |
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| 8th | 1st | Ch.3(d). Derivative of composite function (Chain Rule) |
| | 2nd | Problems based on chain rule. |
| | 3rd | Discussion on chain rule ,problem solving. |
| | 4th | Ch.3(e)(i). Methods of differentiation of Parametric function. |
| | 5th | Problem solving on above. |
| | 6th | Ch.3(e)(ii). Methods of differentiation of Implicit function. |
| 9th | 1st | Discussion on parametric and implicit function |
| | 2nd | Ch.3(e)(iii). Methods of differentiation of logarithmic function. |
| | 3rd | Ch.3(e)(iv). Methods of differentiation of a function with respect to another function. |
| 10th | 1st | Ch.3(f)(i).Applications of Derivative . Ch.3(g).Problems based on above. |
| | 2nd | Successive Differentiation (up to second order) |
| | 3rd | Ch.3(f)(ii).Partial Differentiation (function of two variables up to second order). |
| | 4th | Ch.3(g).Problems based on above |
| | 5th | Ch.3(g).Problems based on above |
| 11th | 1st | Doubt clear class .Previous year question discussion . |
| | 2nd | Class test based on derivatives |
| | 3rd | Ch.4(a).Definition of integration as inverse of differentiation. |
| | 4th | Ch.4(b).Integrals of standard functions. |
| | 5th | Ch.4(c)(i).Integration by substitution. Integration by substitution. |
| 12th | 1st | Ch.4(c)(ii).Integration by parts method. |
| | 2nd | Integration by parts method. |
| | 3rd | Integration of parametric function |
| | 4th | Integration of explicit function |
| | 5th | Integration of a function w.r.t. another function. |
| 13th | 1st | Integration by logarthim. |
| | 2nd | Integration of series function. |
| | 3rd | Integration by partial fraction. |

| | 4th | Ch.4(e)Definite integral, properties of definite integrals |
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| | 5 th | Definite integral, properties of definite integrals. |
| | 6th | Ch.4(f).Application of integration (Area enclosed by a curve and $X - axis$). |
| 14th | 1st | Application of integration (Area of a circle with centre at origin). |
| | 2nd | Doubt clearing class on integration. Previous year question discussion |
| | 3rd | Ch.5 (a).Introduction to differential equation, order and degree of differential equation. |
| | 4 th | Examples to find the order and degree of a given differential equation. |
| | 5 th | Solution of 1 st order and 1 st degree equation by the method of separation of variables. |
| | 6th | Linear differential equation. Method of separable variable Euler test. |
| 15th | 1st | Ch.5(b).Solution of 1 st order and 1 st degree equation by the method of separation of variable. |
| | 2nd | Ch.5(b)(i).Solution of 1 st order and 1 st degree equation by the method of separation of variables. |
| | 3 rd | More examples on the above topic |
| | 4 th | Ch.5(b)(ii).Solution of Linear equation $dy/dx+py = q$ where P,Q are functions of x. |
| | 5th | Solution of Linear equation, $dy/dx+ py = q$ where P,Q are functions of x. |
| | 6th | Discussion on the above chapter and problem solving. |
| | 1 st | Doubt clearing class. Previous year question discussion |
| 16th | 2 nd | Class test based on differential equation. |



with ClamScamer

Signature of Faculty

| 11th | |
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Samita Mohavana